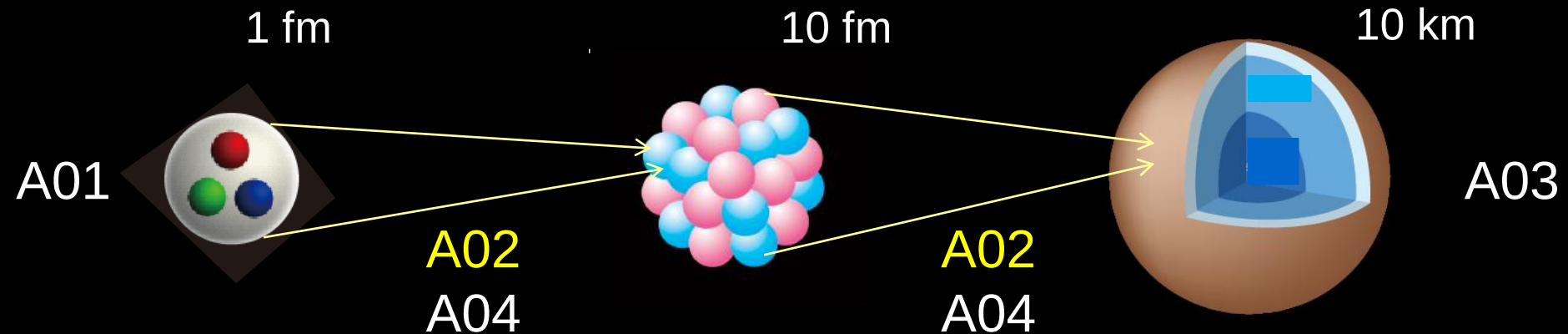


[Group A02] *Nuclear Physics from QCD*



Hadron int. from LQCD

S. Aoki (Tsukuba)
N. Ishii (Tsukuba)
H. Nemura (Tsukuba)

Ab initio Many-Body Cal.

T. Otsuka (Tokyo)
N. Shimizu (CNS,Tokyo)
T. Suzuki (Nihon)

Dense Matter

A. Nakamura (Hiroshima)
M. Takano (Waseda)
K. Nagata (Hiroshima)

Hadron int. from LQCD

T. Hatsuda (Tokyo/RIKEN)
S. Sasaki (Tokyo)
S. Ozaki (Tokyo)

Ab initio Few-Body Cal.

E. Hiyama (RIKEN)
K. Murano (RIKEN)

TD-DFT

T. Nakatsukasa (RIKEN)
K. Yabana (Tsukuba)
K. Sato (RIKEN)

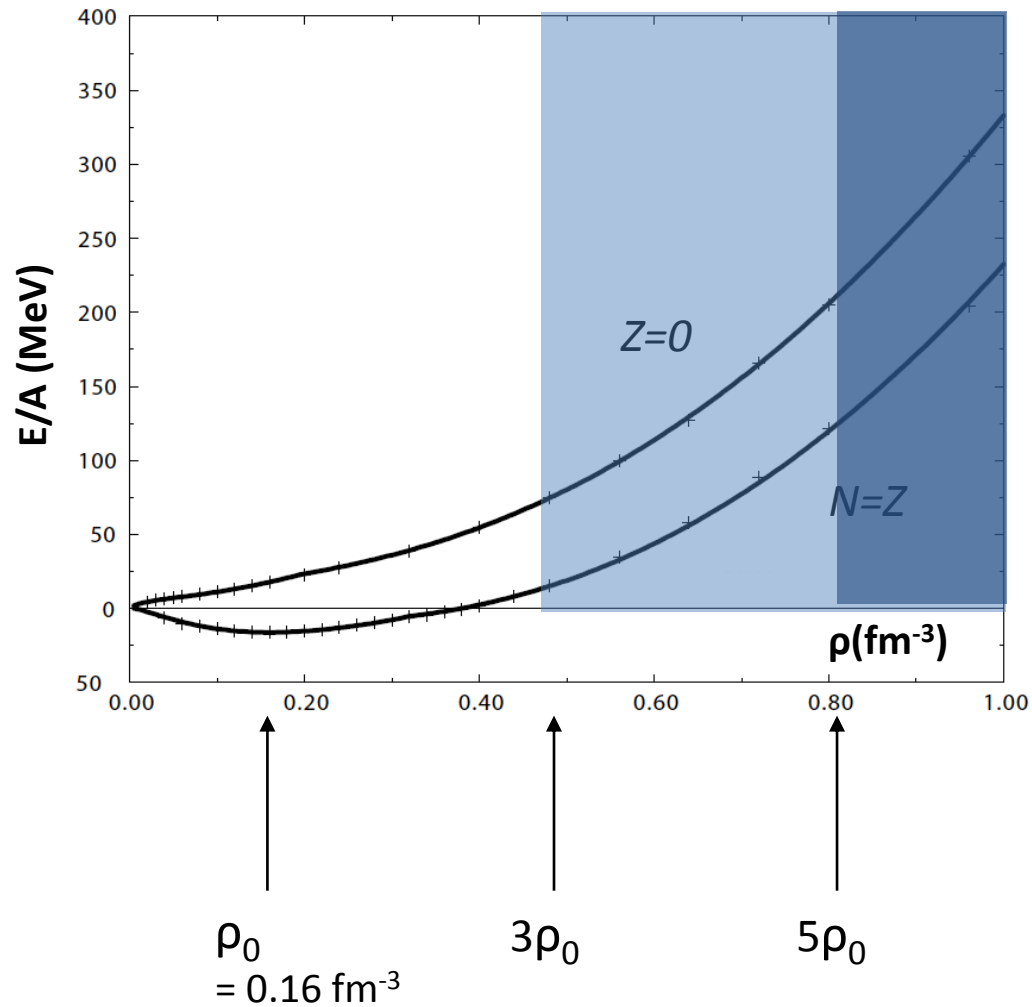
T. Hatsuda (Tokyo/RIKEN)



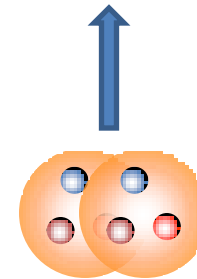
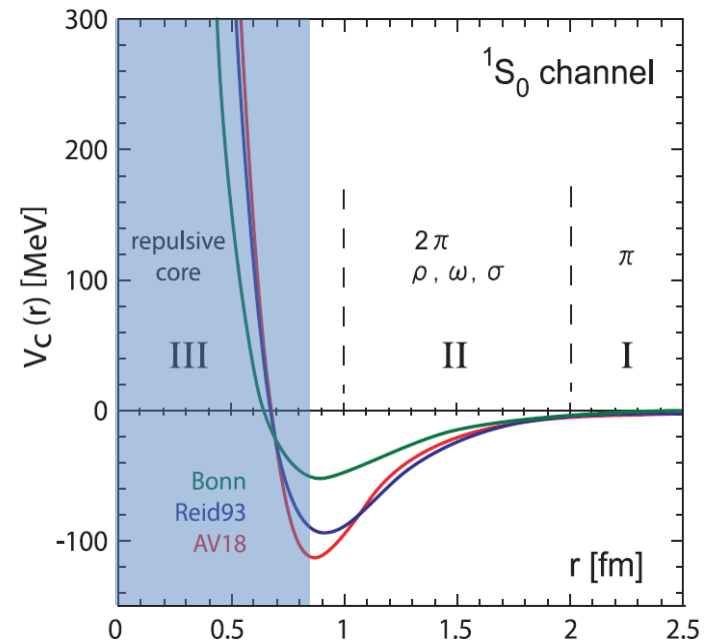
HPCI Field5 Subject 1

Dense Matter EoS and Nuclear Force

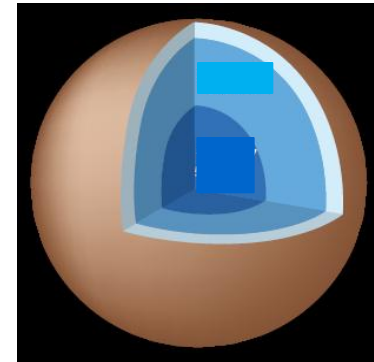
Akmal, Pandharipande & Ravenhall, PRC58 ('98)



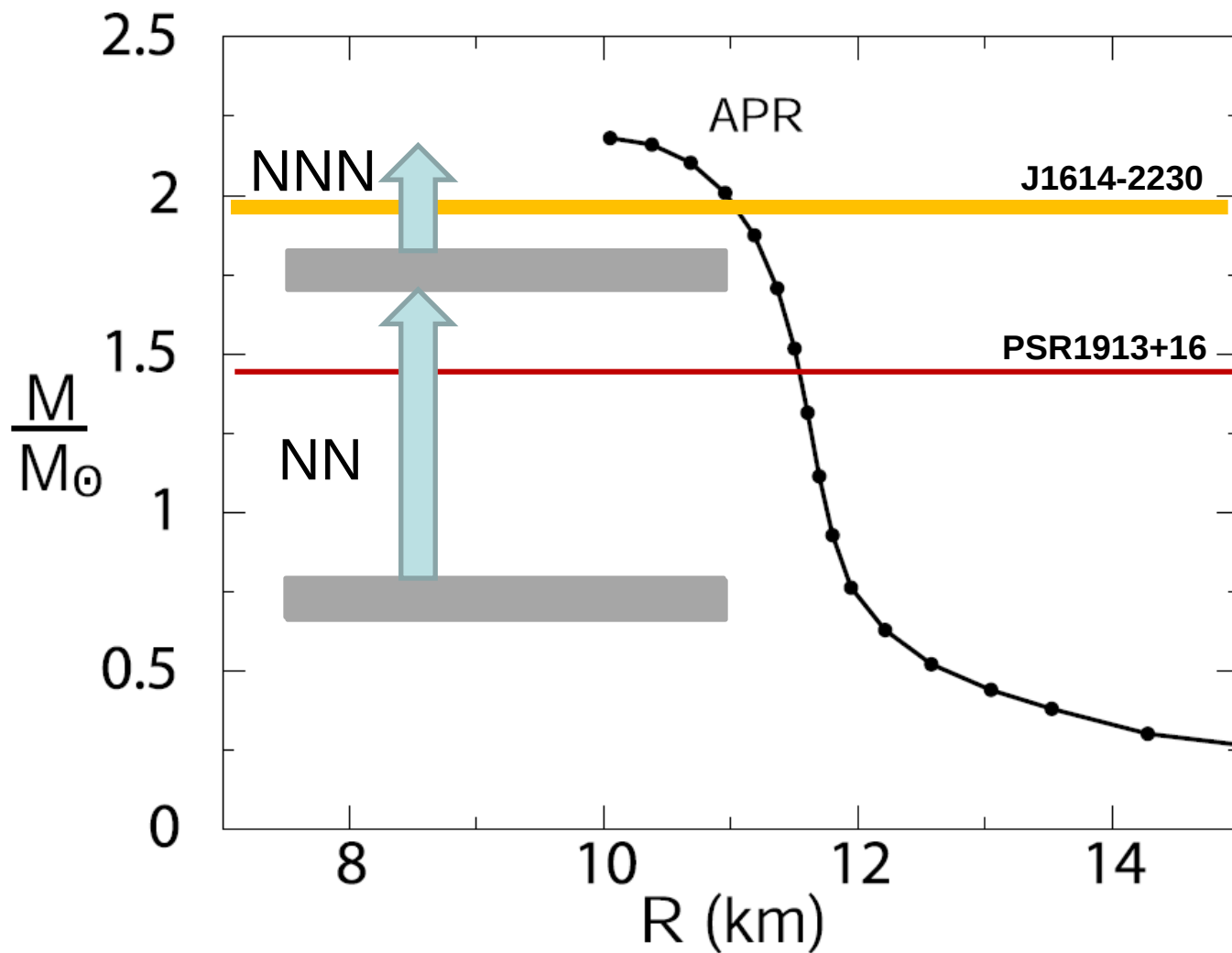
Phenomenological NN forces



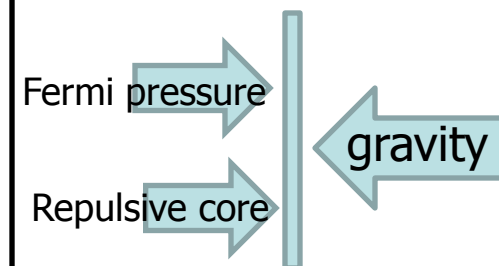
Nuclear Force and Neutron Star



$(\rho_{\text{max}} \sim 6\rho_0)$

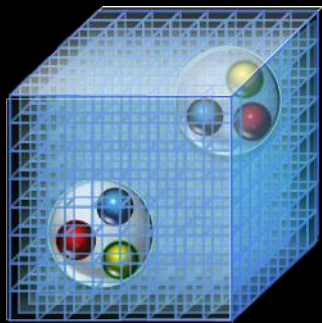
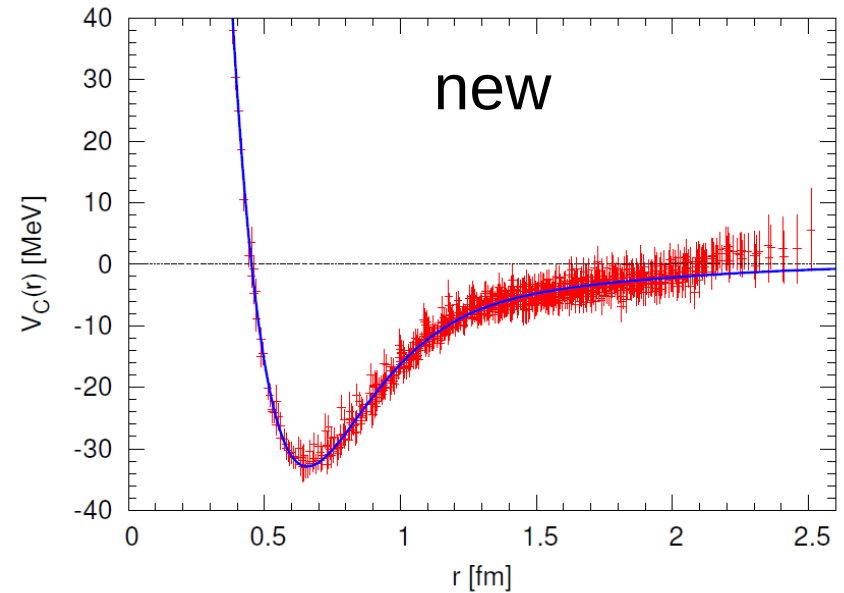
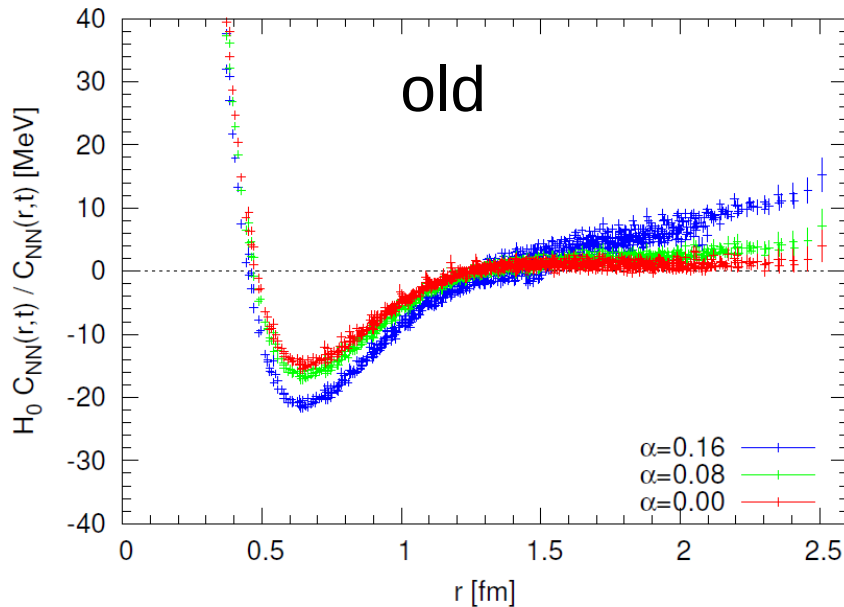


Pressure balance

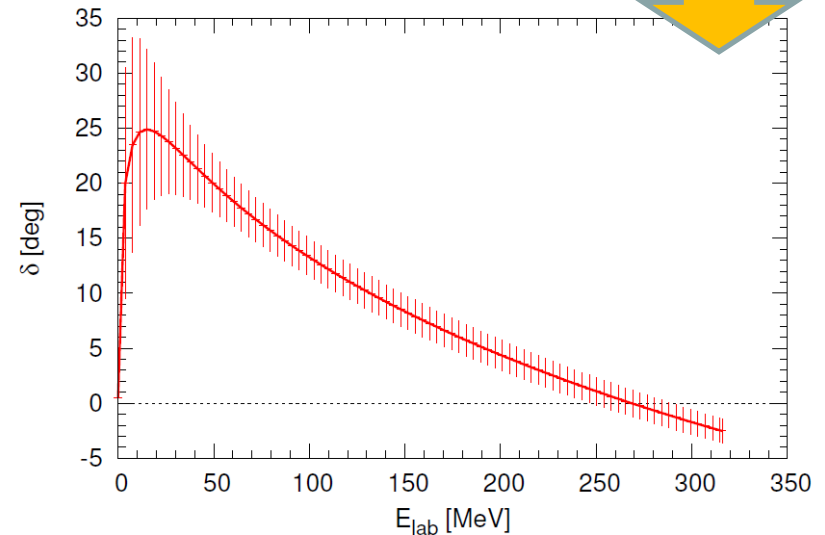


NN & NNN force from lattice QCD

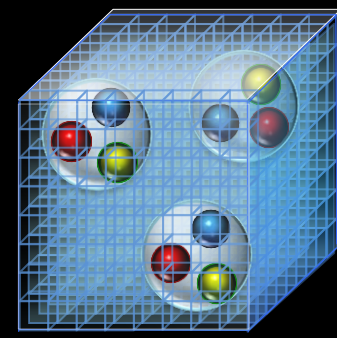
New method (Ishii method) to extract hadron potentials (stationary Schroedinger eq. $\rightarrow$ time-dep. Schroedinger eq.)



1S_0 channel
(2+1)-flavor
 $m_\pi=701$ MeV
 $a=0.091$ fm
 $L=2.90$ fm

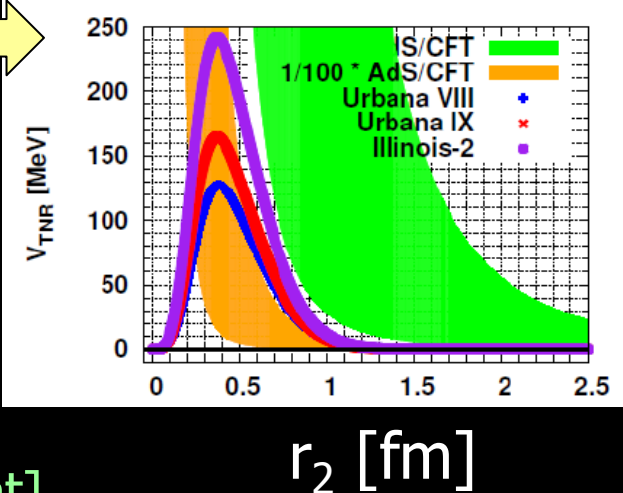
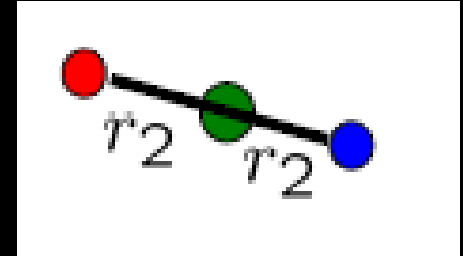
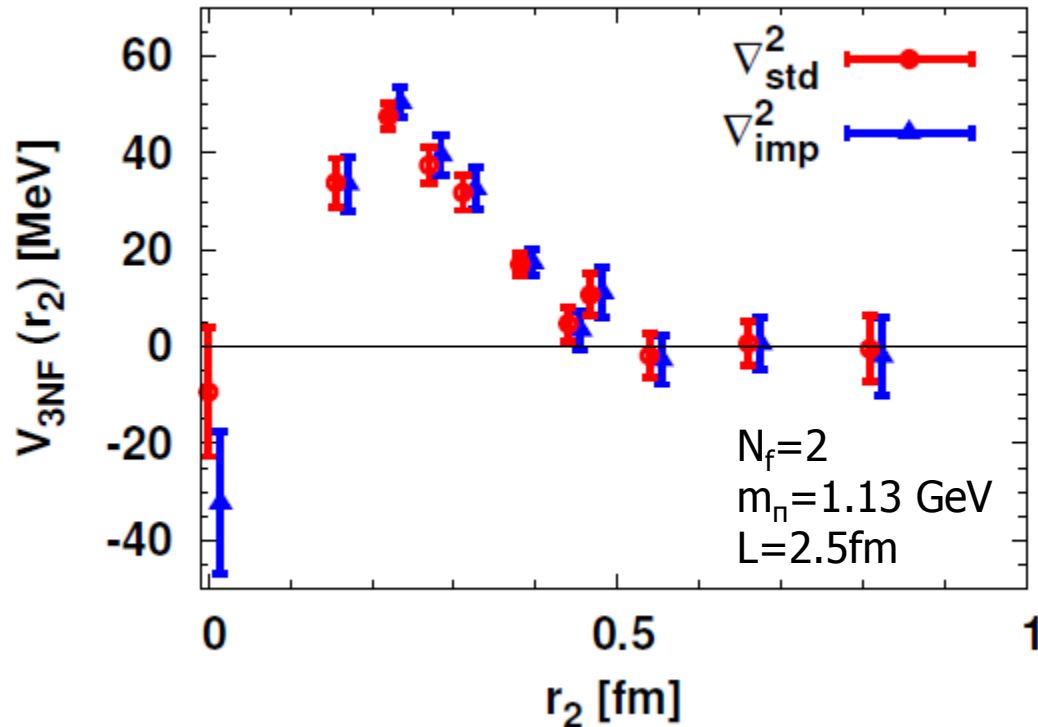


3N force from LQCD

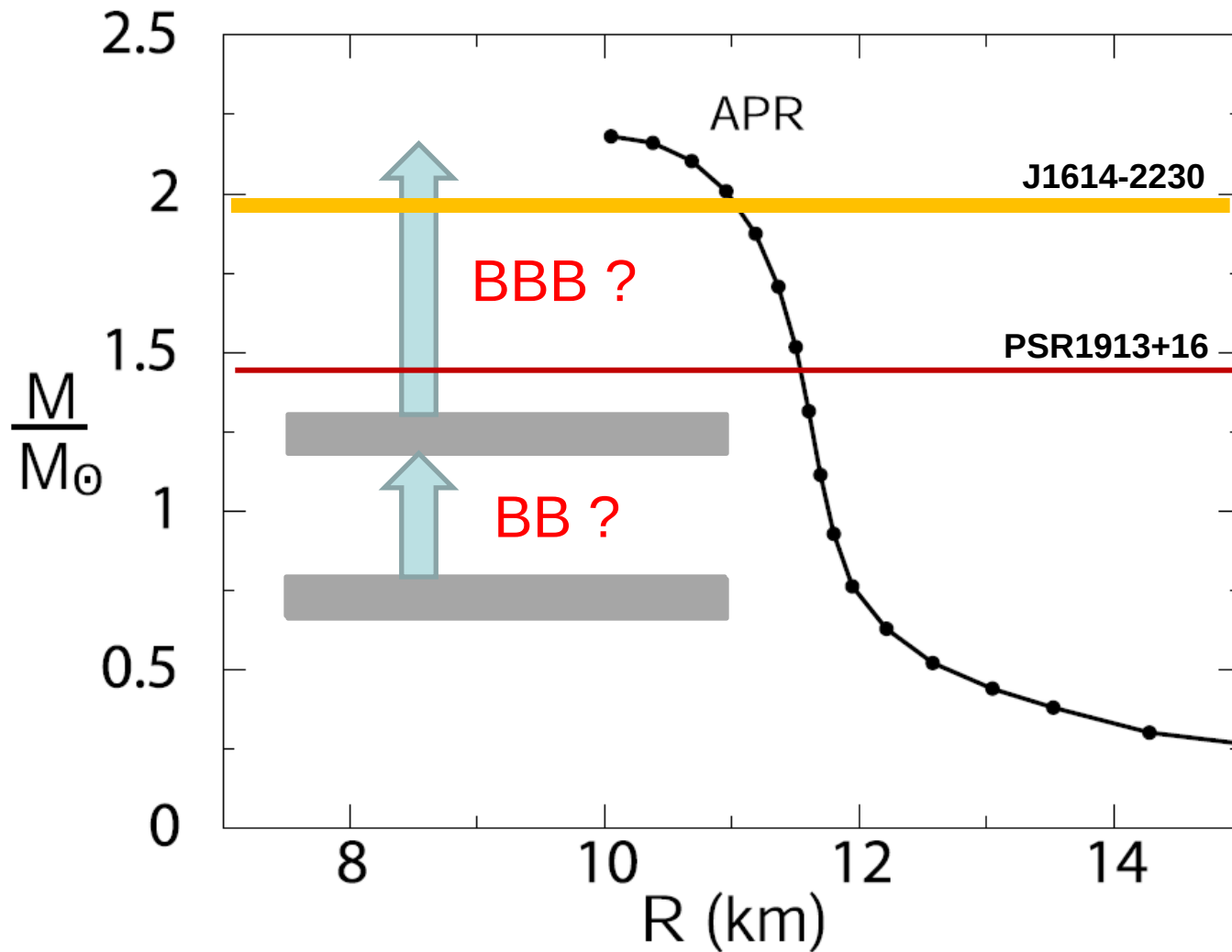
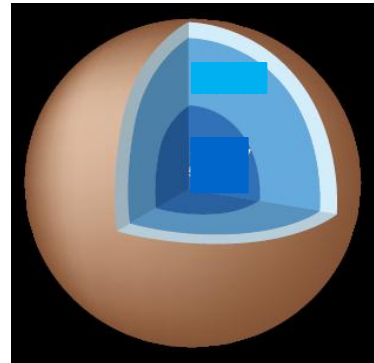


$$\psi_{3N}(\vec{r}, \vec{\rho}) \equiv \langle 0 | N(\vec{x}_1) N(\vec{x}_2) N(\vec{x}_3) | E_{3N} \rangle,$$

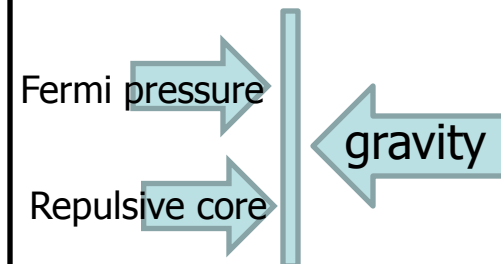
$$\left[-\frac{1}{2\mu_r} \nabla_r^2 - \frac{1}{2\mu_\rho} \nabla_\rho^2 + \sum_{i < j} V_{2N}(\vec{r}_{ij}) + V_{3NF}(\vec{r}, \vec{\rho}) \right] \psi_{3N}(\vec{r}, \vec{\rho}) = E_{3N} \psi_{3N}(\vec{r}, \vec{\rho}),$$



Baryon Force and Neutron Star

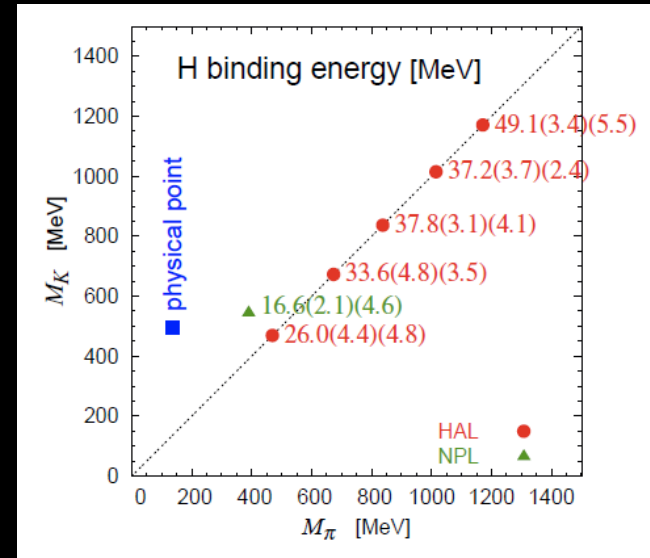
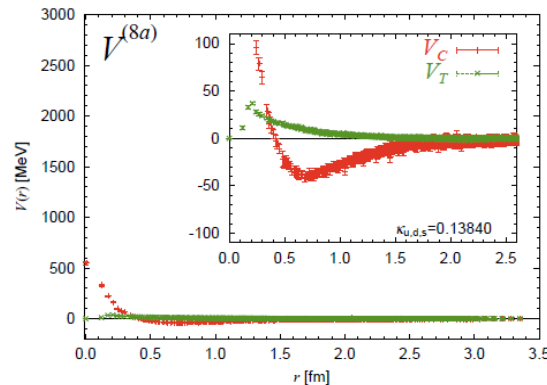
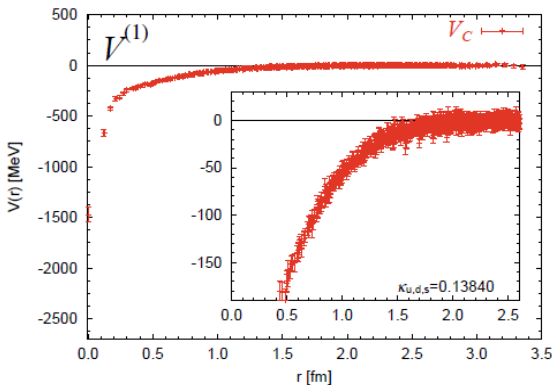
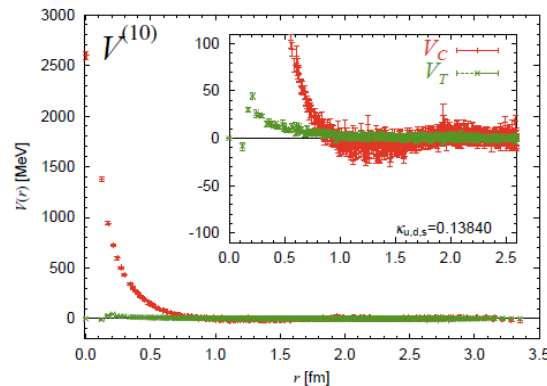
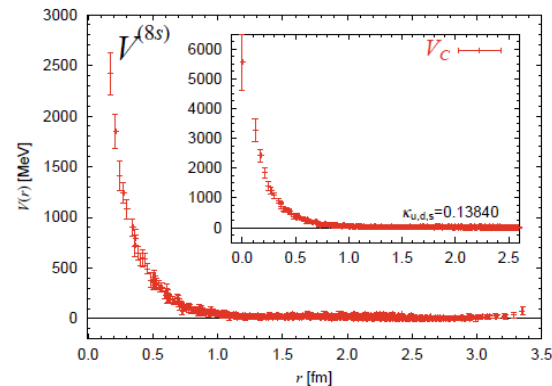
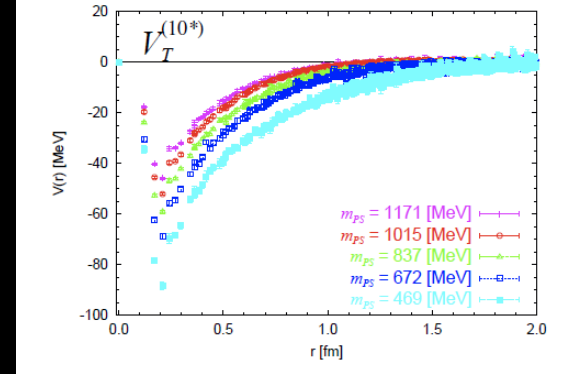
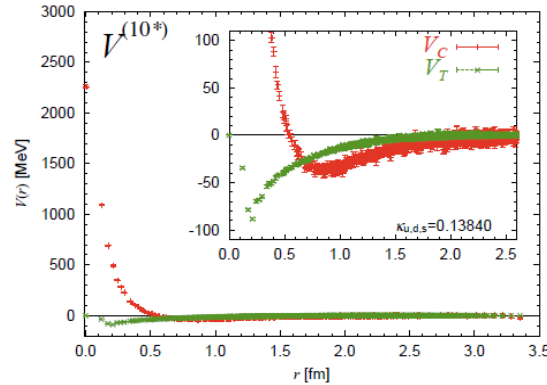
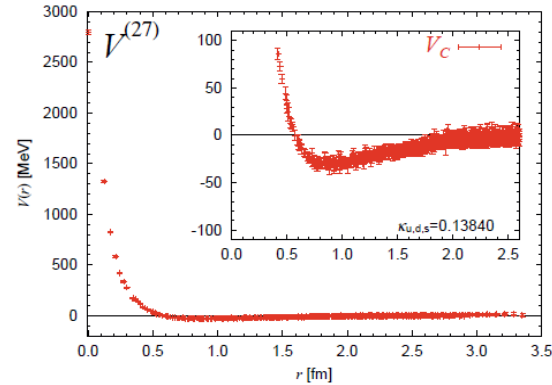


Pressure balance



YN, YY force
from lattice QCD

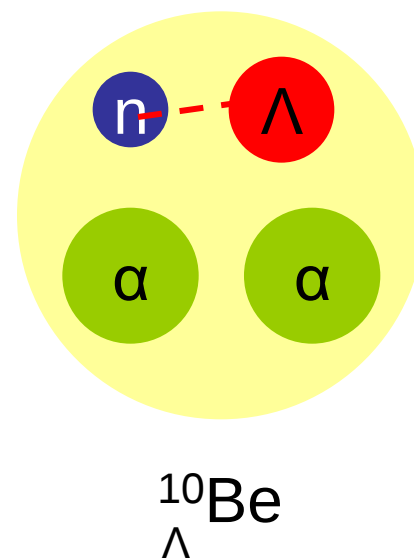
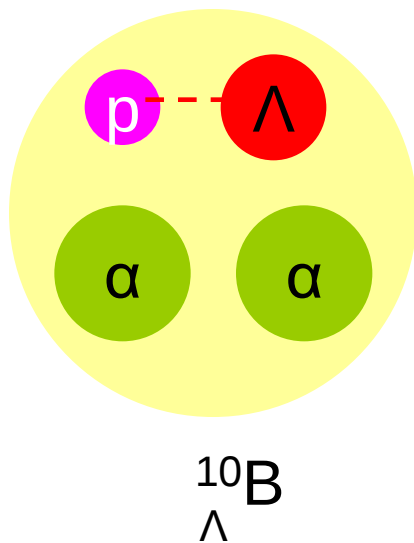
BB forces in the SU(3) limit with new method



T. Inoue et al [HAL QCD],
PRL 106 (2011) 16202
NPA in preparation.

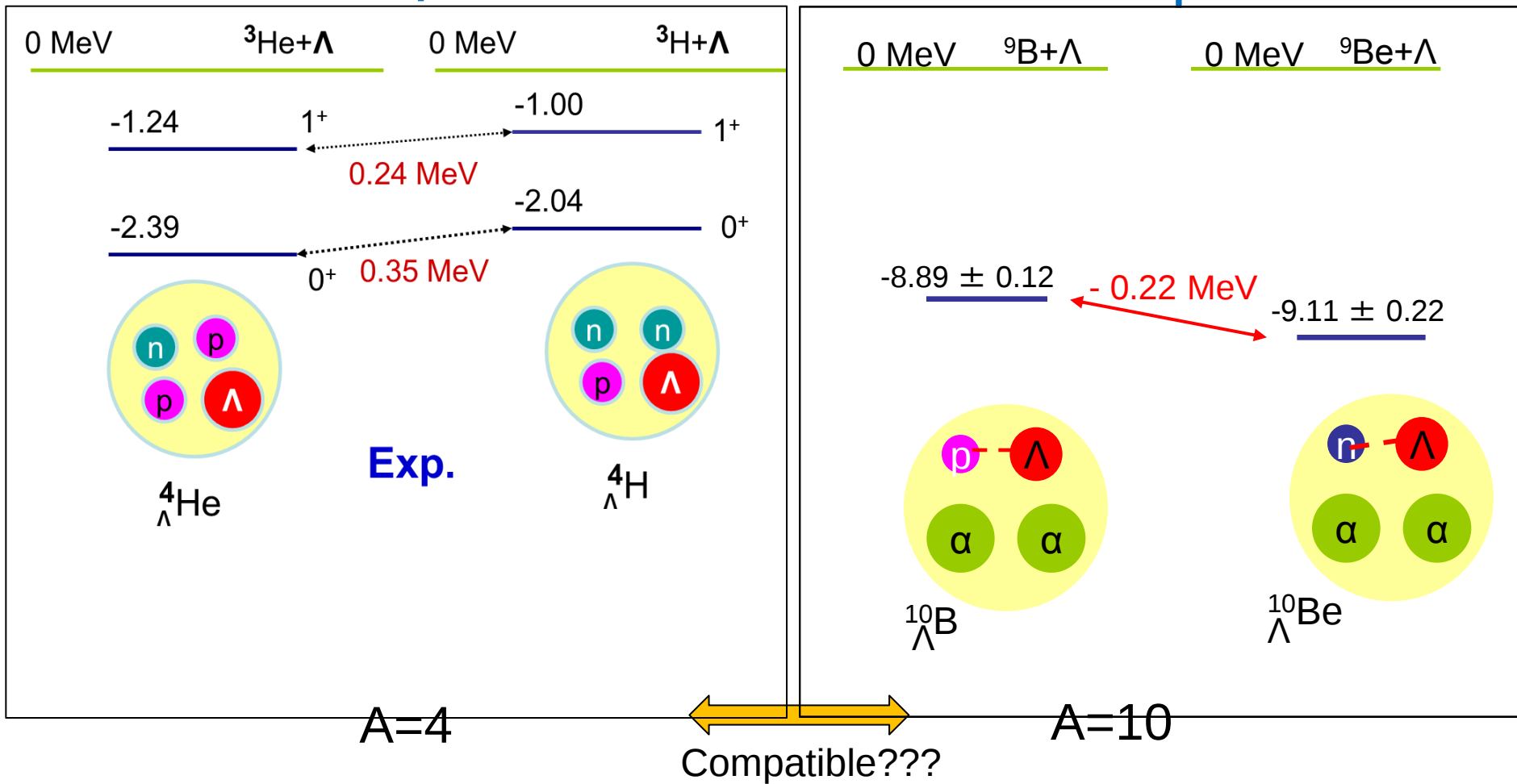
Ab initio nuclear few-body calculations

The study of four-body structure of these hypernuclei is important for the study of Λ N spin-dependent force and charge symmetry breaking interaction.



Exp.

Exp.



Future exp.

A=4 at JLAB (${}^4\text{He} (e, e'K^+) {}^4_\Lambda\text{H}$)
 A=10 at J-PARC (to be proposed)

Exp: - 0.22 $\pm$ 0.25 MeV

Cal: - 0.17 MeV (without CSB)

Cal: + 0.01 MeV (with CSB)

Hiyama, Zhang, Yamamoto (2011)

Ab initio nuclear many-body calculations

Nuclear Forces, Exotic nuclei and Stellar Evolution

T. Otsuka @ OMEG11

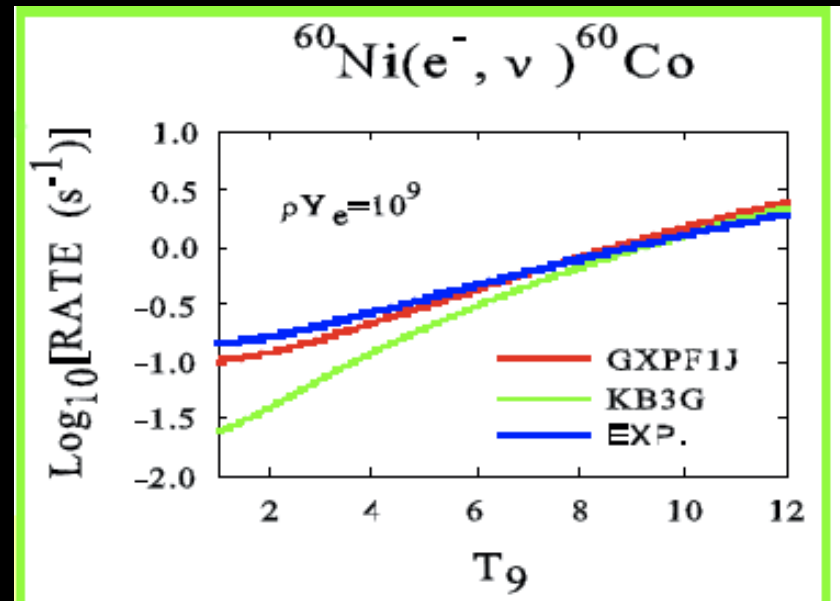
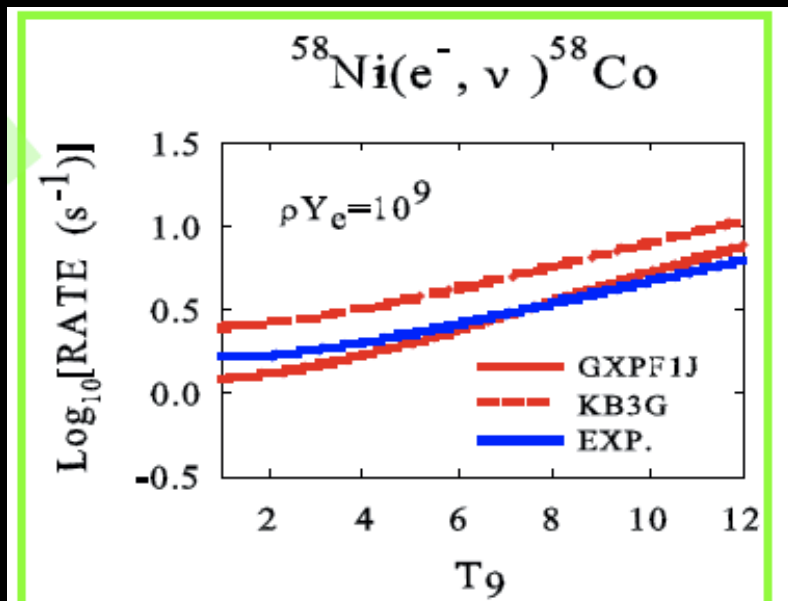
1. Novelties in nuclear forces and in their effects on the structure of exotic nuclei (e.g. shell evolution)
2. Tensor force : in-medium $\sim$ bare (no empirical tuning)
under the concept Renormalization Persistency
→ shell evolution, resultant deformation (e.g., ^{42}Si), etc.
3. Fujita-Miyazawa 3-body force produces
repulsive effective interaction
between valence neutrons robustly.
→ location of dripline (particularly, oxygen and calcium isotopes),
shell evolution *contrary to shell quenching scenario (RIA white paper)*
same force as the one relevant to neutron matter (star)
4. Visible effects on astrophysical phenomena
electron capture by Ni isotopes
3rd peak of the abundance
R process, e.g., around ^{78}Ni
More will come with K computer ... suggestions welcome

- GT strengths in Ni isotopes by new shell model Hamiltonians, GXPF1

GXPF1 = microscopic G -matrix $\leftrightarrow$ tensor force
 + phenomenological corrections
 $\leftrightarrow$ 3-body force

- Electron capture reactions in Ni isotopes in stellar environments

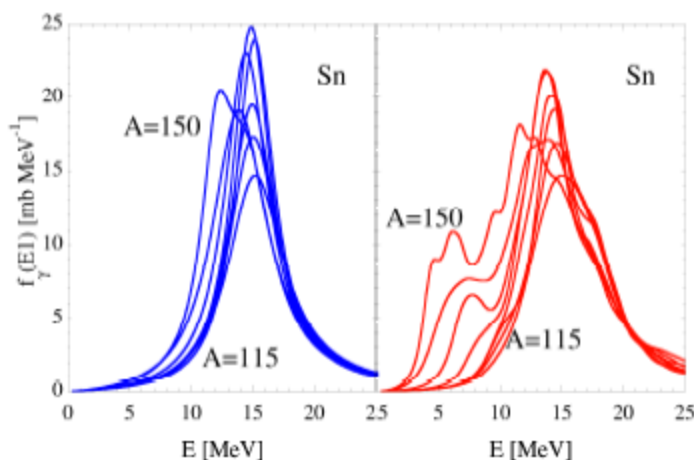
Suzuki, Honma, Mao, Otsuka, Kajino, PR C83, 044619 (2011).



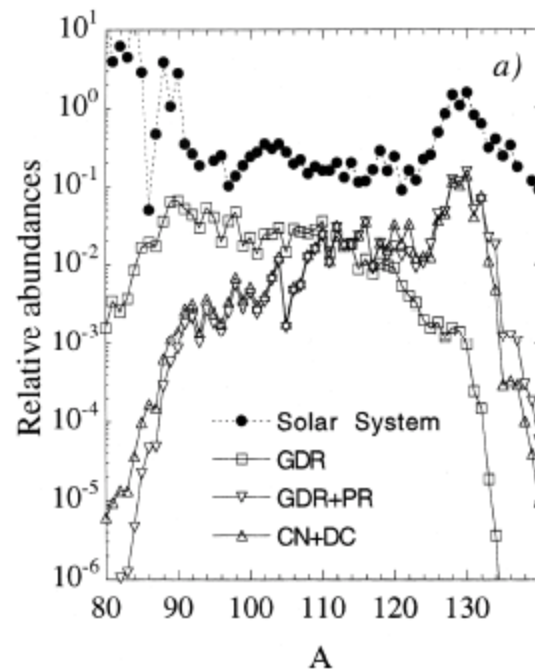
Time Dependent Density Functional Theory

Low-energy $E1$ strength (Pygmy dipole resonance [PDR])

- Astrophysical interests
 - Strong impact on the r-process abundances
 - Constraint on neutron matter EOS



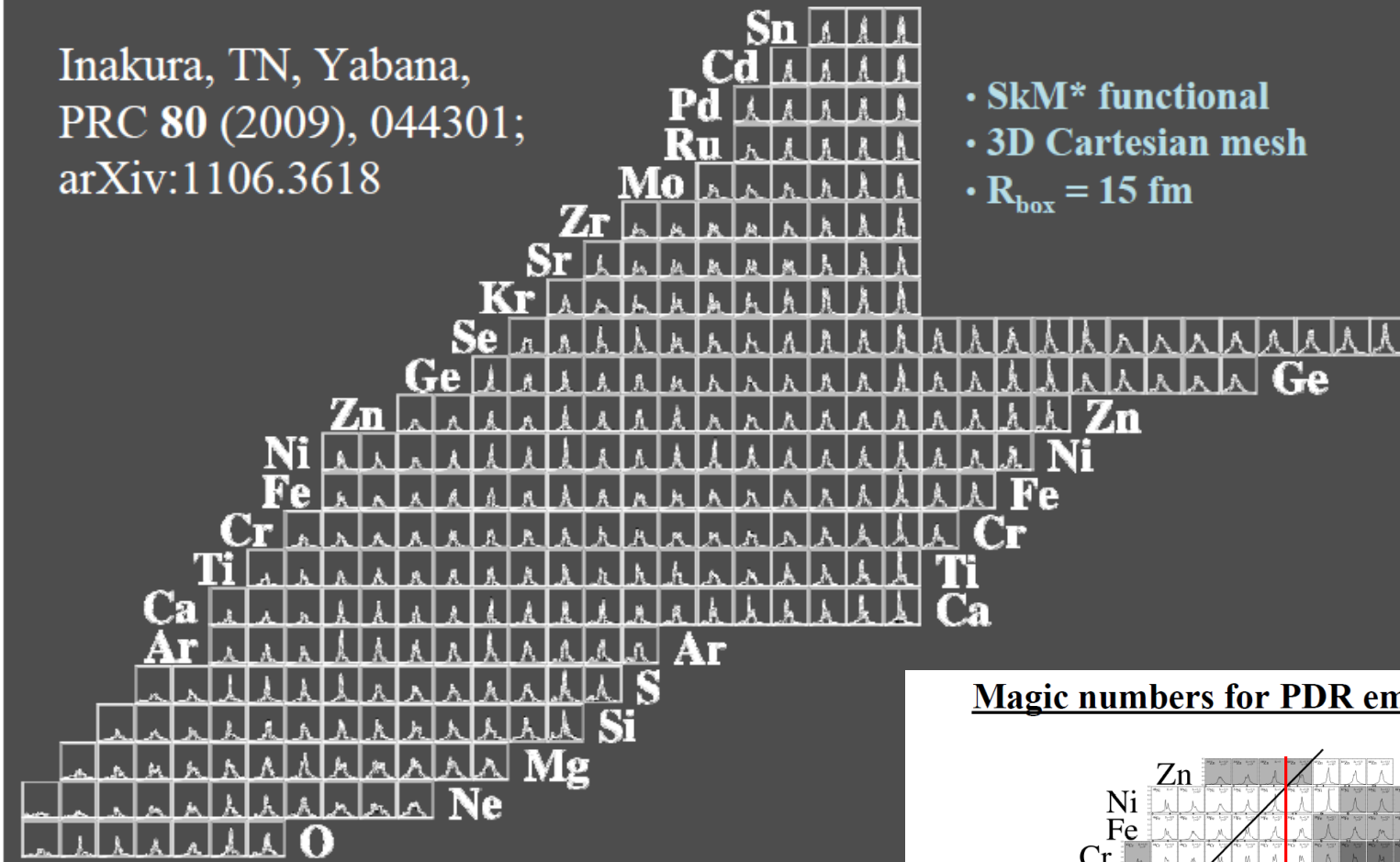
S. Goriely, Phys. Lett. **B436**, 10 (1998)



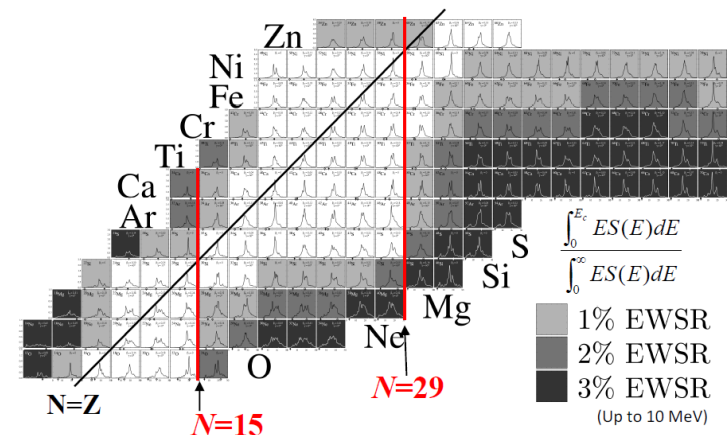
Computational nuclear data tables by TDDFT

Inakura, TN, Yabana,
PRC **80** (2009), 044301;
arXiv:1106.3618

- SkM* functional
- 3D Cartesian mesh
- $R_{\text{box}} = 15 \text{ fm}$

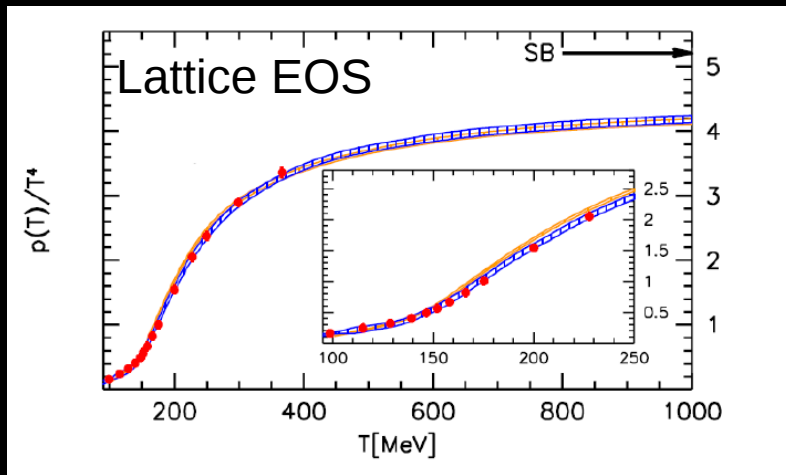


Magic numbers for PDR emergence



Nakatsukasa@OMEG11

EOS for Neutron Star Matter

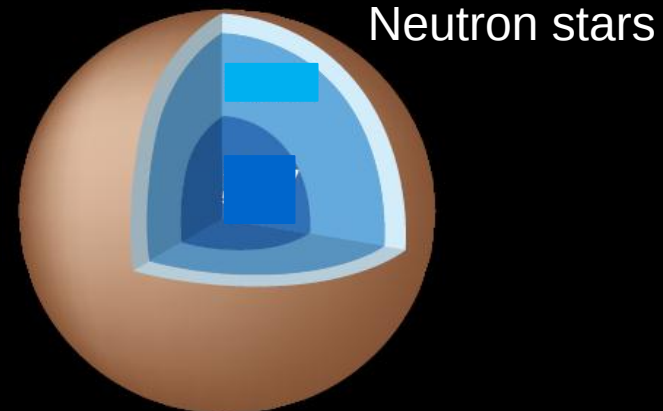


3D hydro.



$P=P(\mu)$ from QCD ?

TOV eq.



Variational Method with the Energy Functional

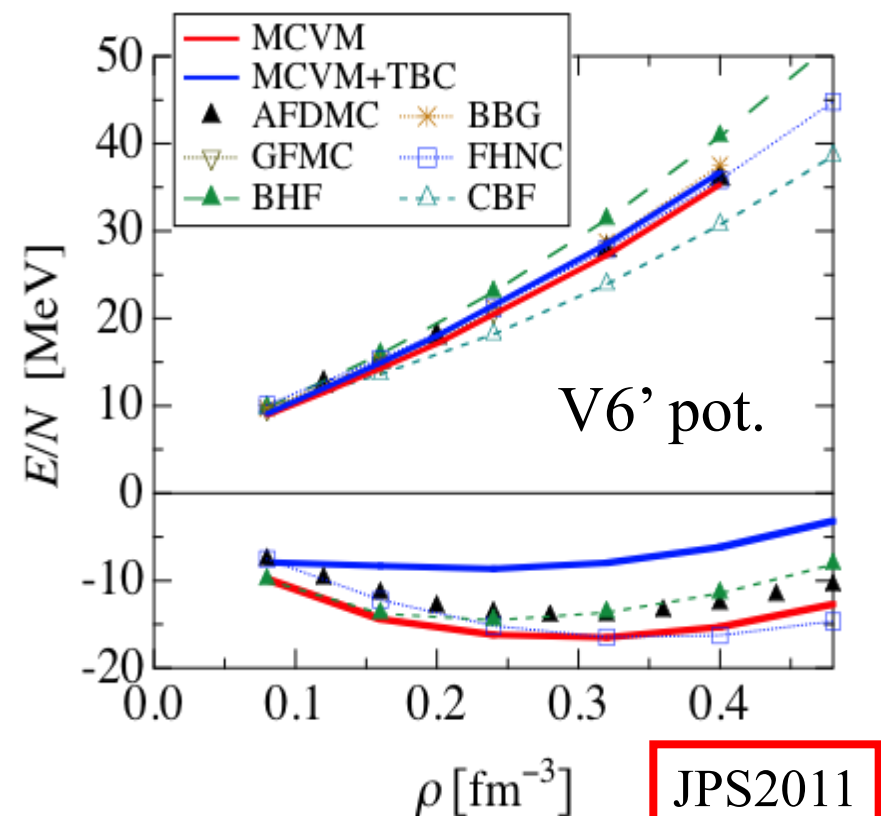
Uniform nuclear matter at zero temperature (M. Takano)

The central + tensor forces

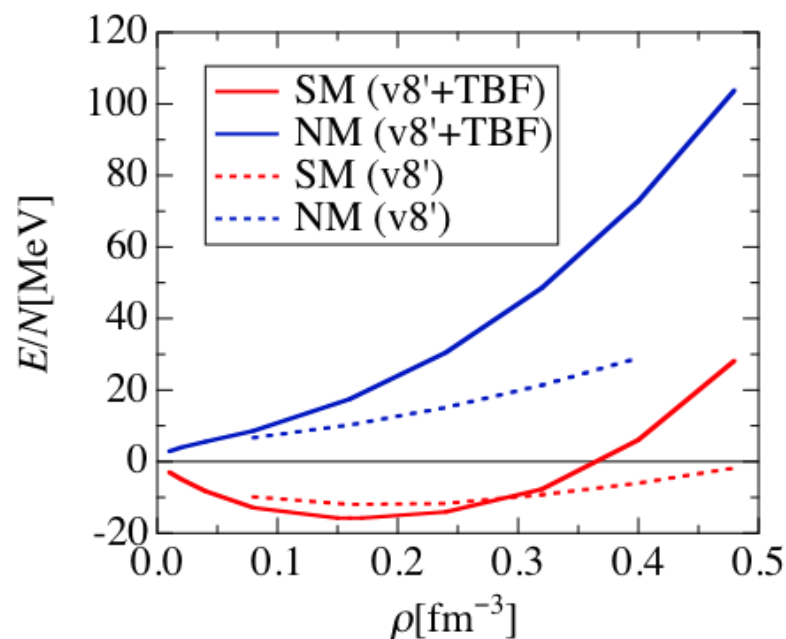
Moderately constrained VM

+

All the three-body cluster terms



Extension to the spin-orbit force
v8' pot. + phenomenological TBF



Two-body part: the tensor and spin-orbit correlations are constrained.

Three-body part: tuned so as to reproduce the saturation point

Further refinement is in progress

NUFRA2011

Reduction Formula

For Fermion Determinant $\det \Delta(\mu)$
find a smaller matrix A such that
 $\det \Delta = \det A$

Keitaro Nagata and Atsushi Nakamura
Phys. Rev. D82,094027 (2010).
See also, A.Alexandru and U. Wenger,
Phys. Rev. D 83, 034502 (2011)

$$\frac{\det \Delta(\mu)}{\det \Delta(0)} = \frac{\det (\xi + Q)}{\det (1 + Q)}$$

$$\xi \equiv e^{-\mu/T}$$

(fugacity)

Q is $(4N_c N_x N_y N_z) \times (4N_c N_x N_y N_z)$ matrix. No N_t !

In case of KS matrix, the corresponding matrix is $(2N_c N_x N_y N_z) \times (2N_c N_x N_y N_z)$

Diagonalize Q , $Q \rightarrow \begin{pmatrix} \lambda_1 & & \\ & \lambda_2 & \\ & & \dots \\ & & & \lambda_{N_{red}} \end{pmatrix}$

$$\det(\xi + Q) = \prod (\xi + \lambda_n) \quad \lambda_n \text{ does not depend on } \mu.$$



Once we calculate λ_n ,
we can evaluate $\det \Delta(\mu)$ for any μ .

$$\det(\xi + Q) = \prod (\xi + \lambda_k) = \sum C_n \xi^n$$

Fugacity dependence is explicit.

We can calculate $\det \Delta(\mu)$ at any values of

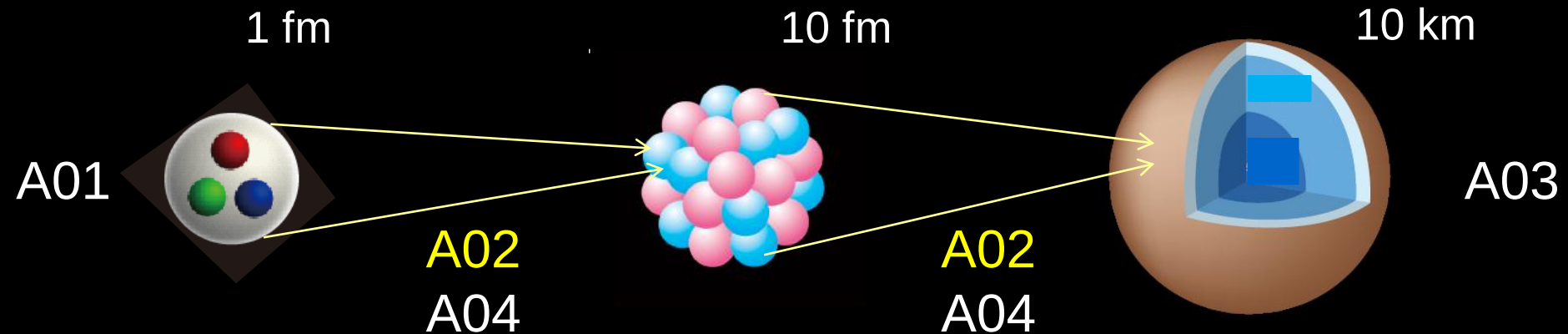
$$\text{fugacity, } \xi = e^{\mu/T}$$



Make a Good Tool !

A. Nakamura @ QHEC11

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HPCI Field5 Subject 1