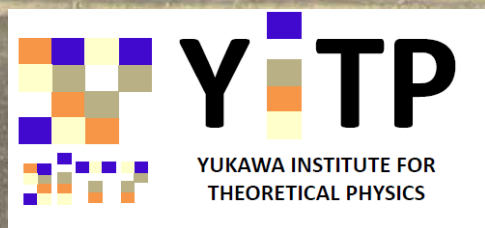


# ガンマ線バースト・極超新星に於ける爆発的元素合成

Explosive Nucleosynthesis in Gamma-Ray Bursts and Hypernovae



長滝 重博  
Shigehiro Nagataki

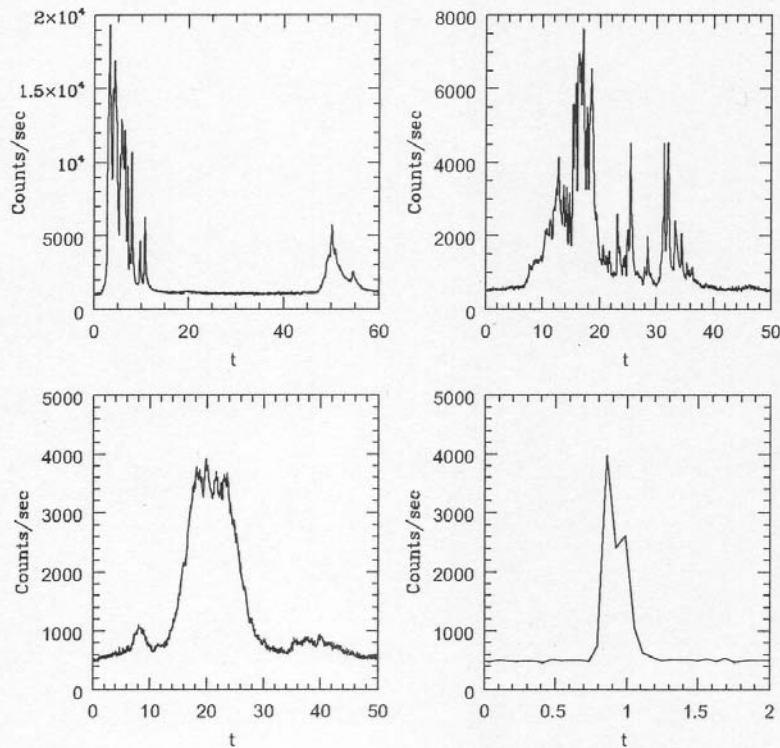
2011年12月4日  
伊勢志摩

# § Introduction

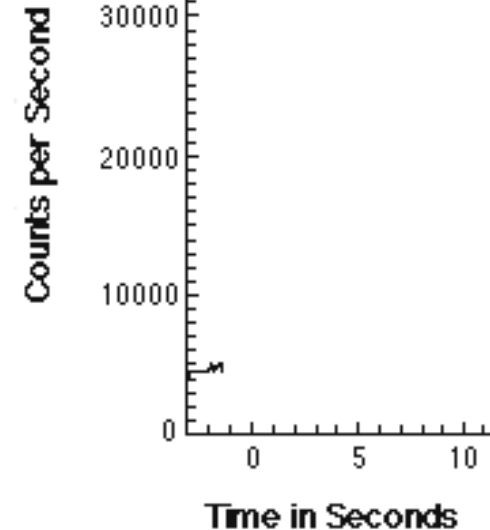
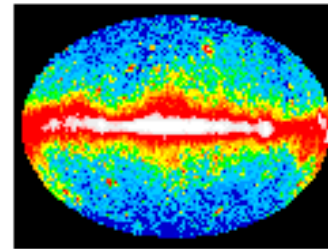
# Gamma-Ray Bursts (GRBs): the Most Powerful Explosion in the Universe

Some GRBs are found to be associated with peculiar supernovae (**hypernovae**) whose explosion energy is **10 times greater** than normal core-collapse supernovae. Only small fraction of supernovae can have GRBs.

Counts/s



Time (sec)



A GRB by CGRO

# Movie of a Long GRB (Imagination)

From NASA's HP.



# Short History of the Central Engine of GRBs.

- First report on the association of a GRB with a hypernova was done in **1998**.
- Black Hole with Neutrino Heating?  
E.g. MacFadyen and Woosley 1999; S.N. + 2007
- Black Hole with Strong B-Fields?  
E.g. S.N. 2009, 2011.
- Neutron Star with Strong B-Fields (Magnetar)?  
E.g. Takiwaki, Kotake, S.N., Sato 2004.

**BH or NS?**

**Neutrino or B-Field?**

**Outline of Explosion is still under debate.**

§ Numerical Simulation of a GRB engine by a General Relativistic Magneto-Hydrodynamic (GRMHD) code.

2D/3D GRMHD Codes written by MPI.  
SRHD with AMR written by MPI.

S.N. ApJ (2009).  
S.N. PASJ (2011).  
S.N. 2012, in prep.

**General Relativistic Numerical Code is necessary to see general relativistic effects.**

**Energy extraction from a Black Hole (Blandford-Znajek Process) is one of them.**

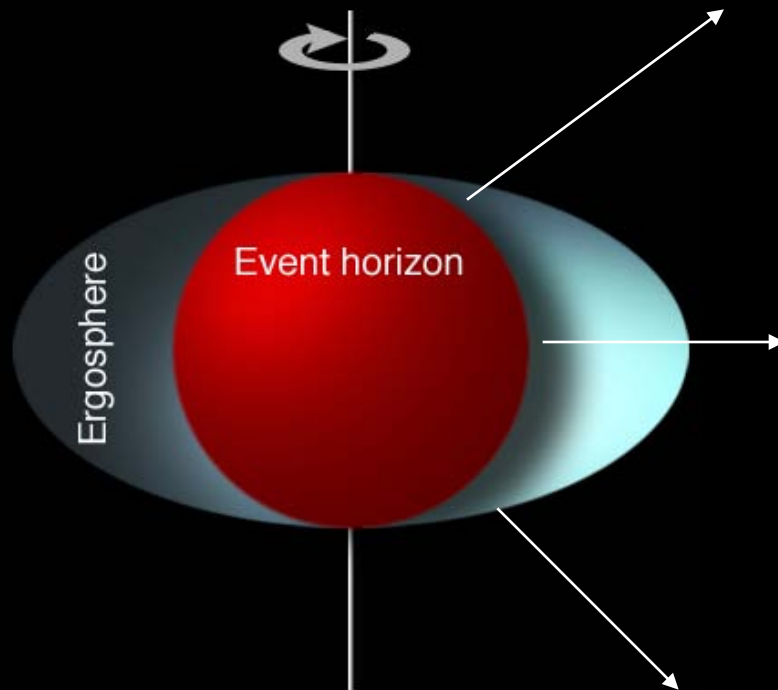
**This effect may be the key process of the GRB engine.**

# What is Blandford-Znajek Process?

Blandford and Znajek 1977

Tanabe and S.N. PRD 2008

**Energy extraction from a rotating BH: General Relativistic Effect**



**In principle,  
Rotation Energy of a BH can be  
Extracted when particles with negative  
Energy are absorbed into the BH.**

**Analytical solution (only mono-pole  
Solution!) was introduced by BZ.  
Nowadays, this effect can be seen  
Numerically with a GRMHD code.**



## Basic Equations

$$\frac{1}{\sqrt{-g}} \partial_\mu (\sqrt{-g} \rho u^\mu) = 0$$

$$\partial_t (\sqrt{-g} T_\nu^t) = -\partial_i (\sqrt{-g} T_\nu^i) + \sqrt{-g} T_\lambda^\kappa \Gamma^\lambda_{\nu\kappa},$$

$$\partial_t (\sqrt{-g} B^i) = -\partial_j [\sqrt{-g} (b^j u^i - b^i u^j)]$$

## Solver

$$\partial_t \mathbf{U}(\mathbf{P}) = -\partial_i \mathbf{F}^i(\mathbf{P}) + \mathbf{S}(\mathbf{P}),$$

$$\mathbf{U} \equiv \sqrt{-g} (\rho u^t, T_i^t, T_i^t, B^i) \quad \text{Conserved Variables}$$

↓ Newton-Raphson Method

$$\mathbf{P} = (\rho, u, v^j, B^i) \quad \text{Primitive Variables}$$

## Additional Equations

$$\frac{1}{\sqrt{-g}} \partial_i (\sqrt{-g} B^i) = 0, \quad (\text{Constrained Transport})$$

$$p = (\gamma - 1)u.$$

Flux term (HLL Method)

$$\mathbf{F} = \frac{c_{\min} \mathbf{F}_R + c_{\max} \mathbf{F}_L - c_{\max} c_{\min} (\mathbf{U}_R - \mathbf{U}_L)}{c_{\max} + c_{\min}}$$

$$c_{\max} \equiv \max(0, c_{+,R}, c_{+,L})$$

$$c_{\min} \equiv -\min(0, c_{-,R}, c_{-,L})$$

Slope (2<sup>nd</sup> order in Space, 3<sup>rd</sup> in time)

Mimmod or Monotonized Center

TVD Runge-Kutta



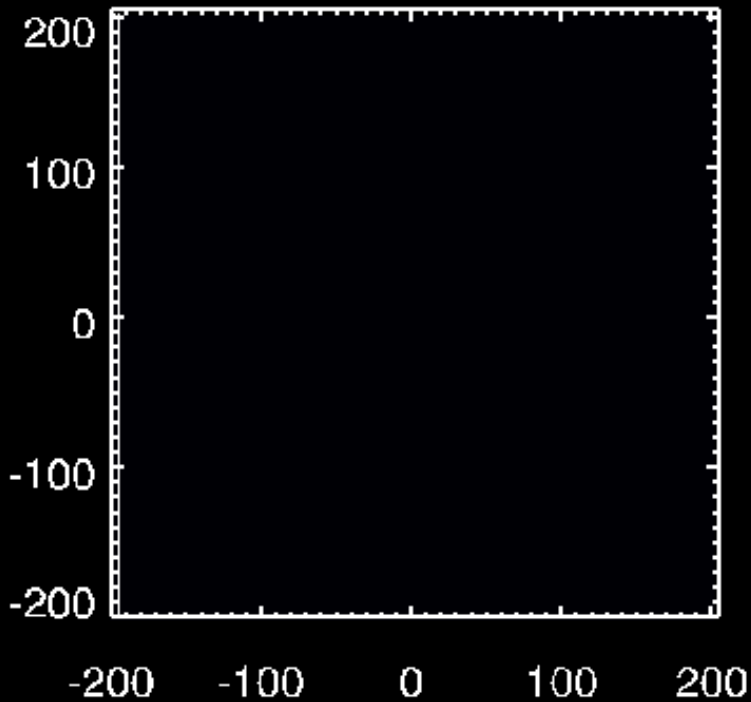
# Initial Condition for GRB Simulations

S. N. 09

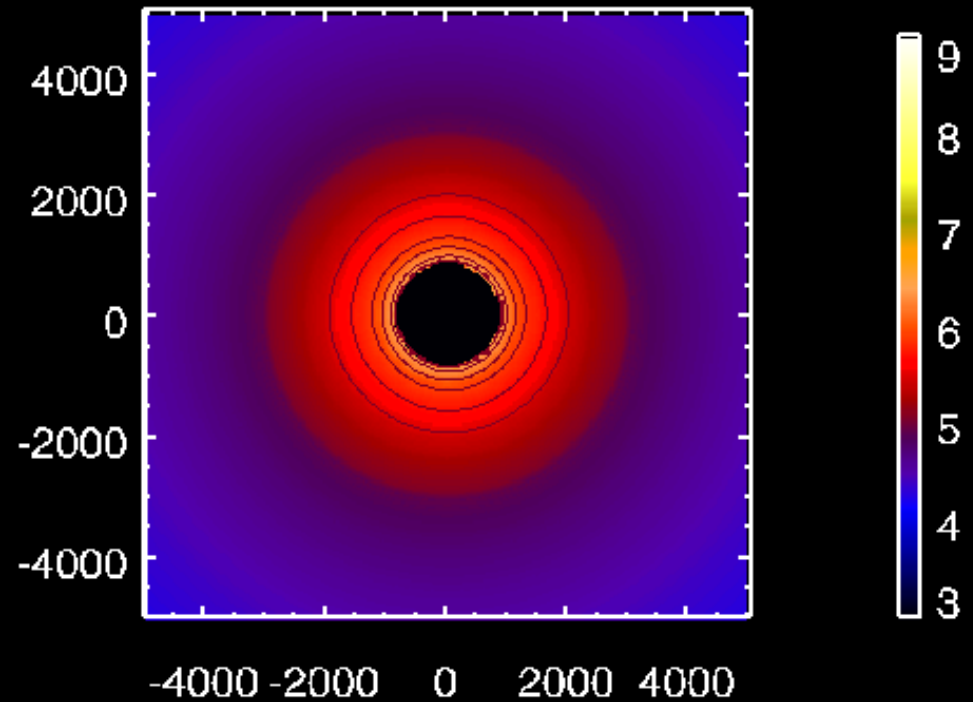
- Rotating Massive Stellar Model by Woosley and Heger 2006.
- Fe core is extracted and a rotating black hole is put instead.
- $M_{\text{BH}}=2M_{\text{solar}}$ ,  $a=0.5$  (Fixed Kerr Metric).
- $\Gamma=4/3$
- $A_{\phi} \propto \max(\rho/\rho_{\text{max}} - 0.2, 0) \sin^4 \theta$
- Minimum value of  $p_{\text{gas}}/p_{\text{mag}} = 10^2$

# Simulation of a Collapsar

S.N. 2009



$R < 200$

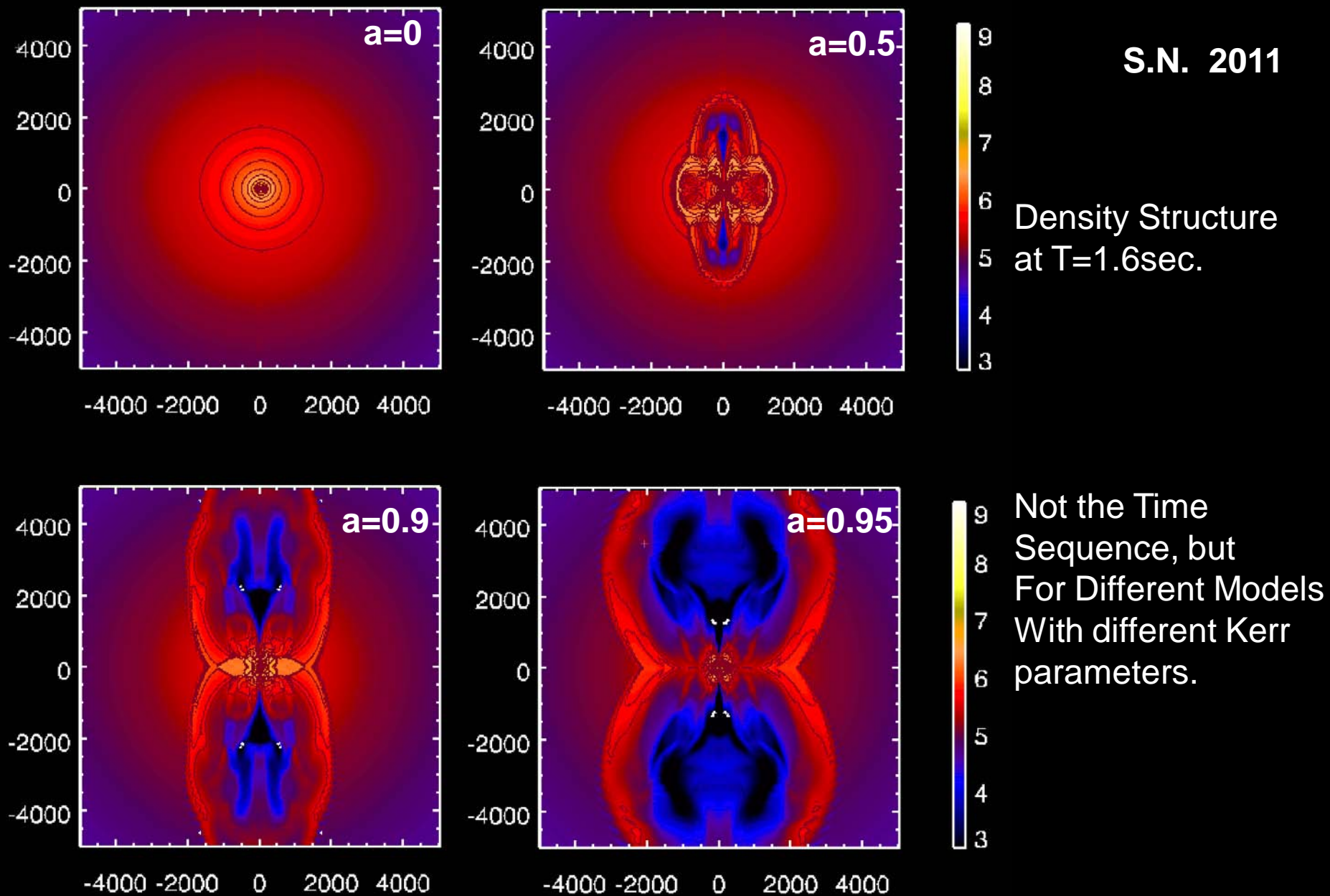


$R < 5000$

Density contour in logarithmic scale (g/cc)

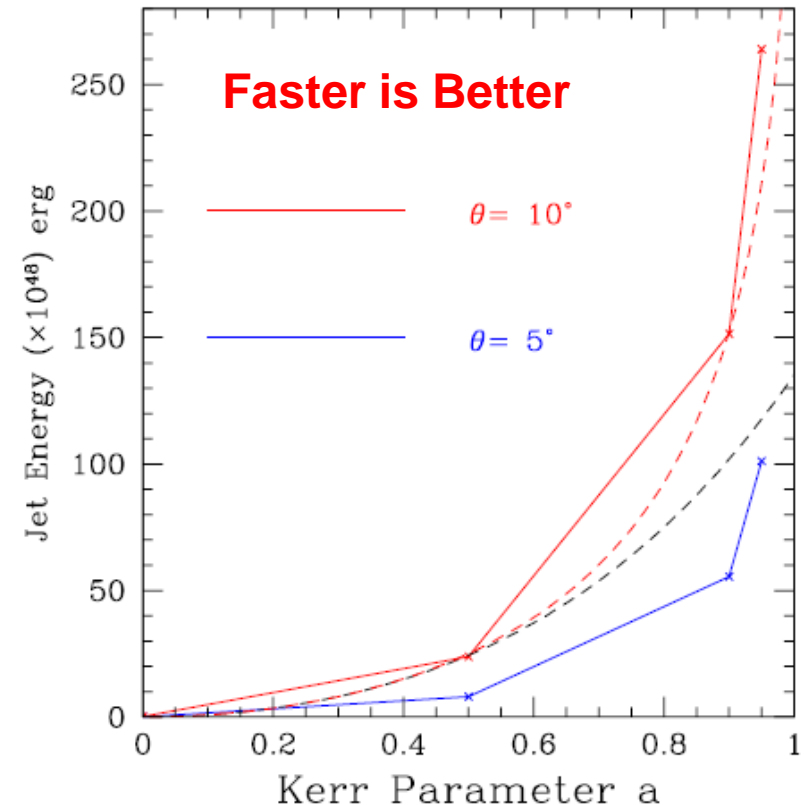
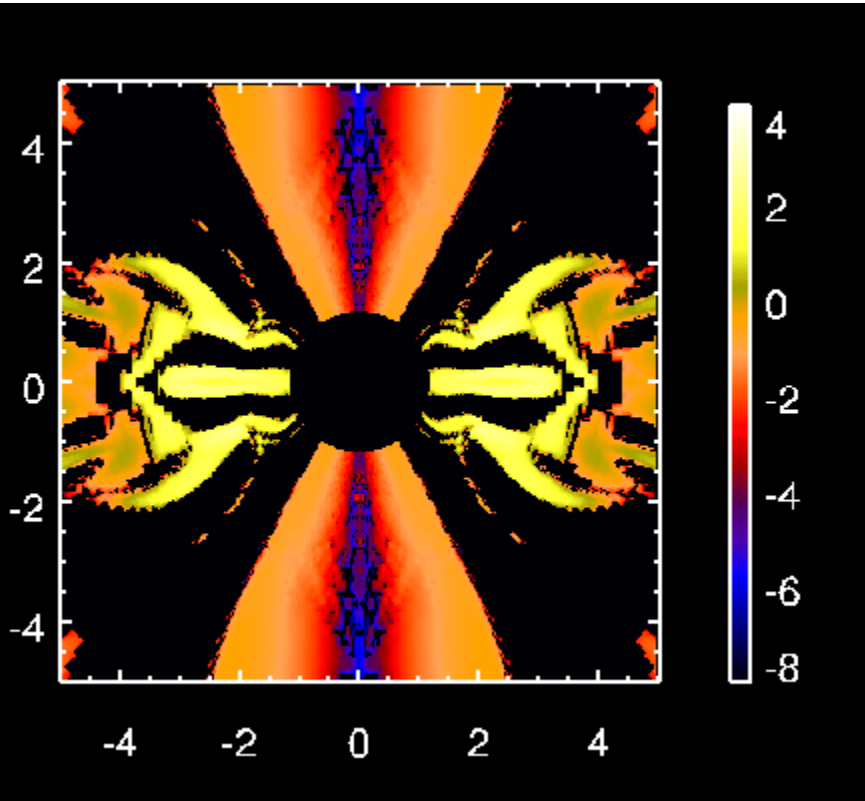
Final time corresponds to 1.77sec.  $R=200$  corresponds to 600km.

# Dependence of Dynamics on Rotating Black Hole



# Blandford-Znajek Flux and Jet Energy

S.N. 2011



**BZ (outgoing poynting)-Flux**  
In unit of  $10^{50}$  erg/s/Sr at  
 $T=160000$  (1.5760sec).

**Kerr Parameter,  $a=0.95$ .**

**Time variability is also triggered by the BH?**

**Jet Energy at  $t=1.5750$  sec for  $a=0, 0.5, 0.9, 0.95$  (Solid Curves).**

**Dotted Curves represents analytical Solution by Tanabe**

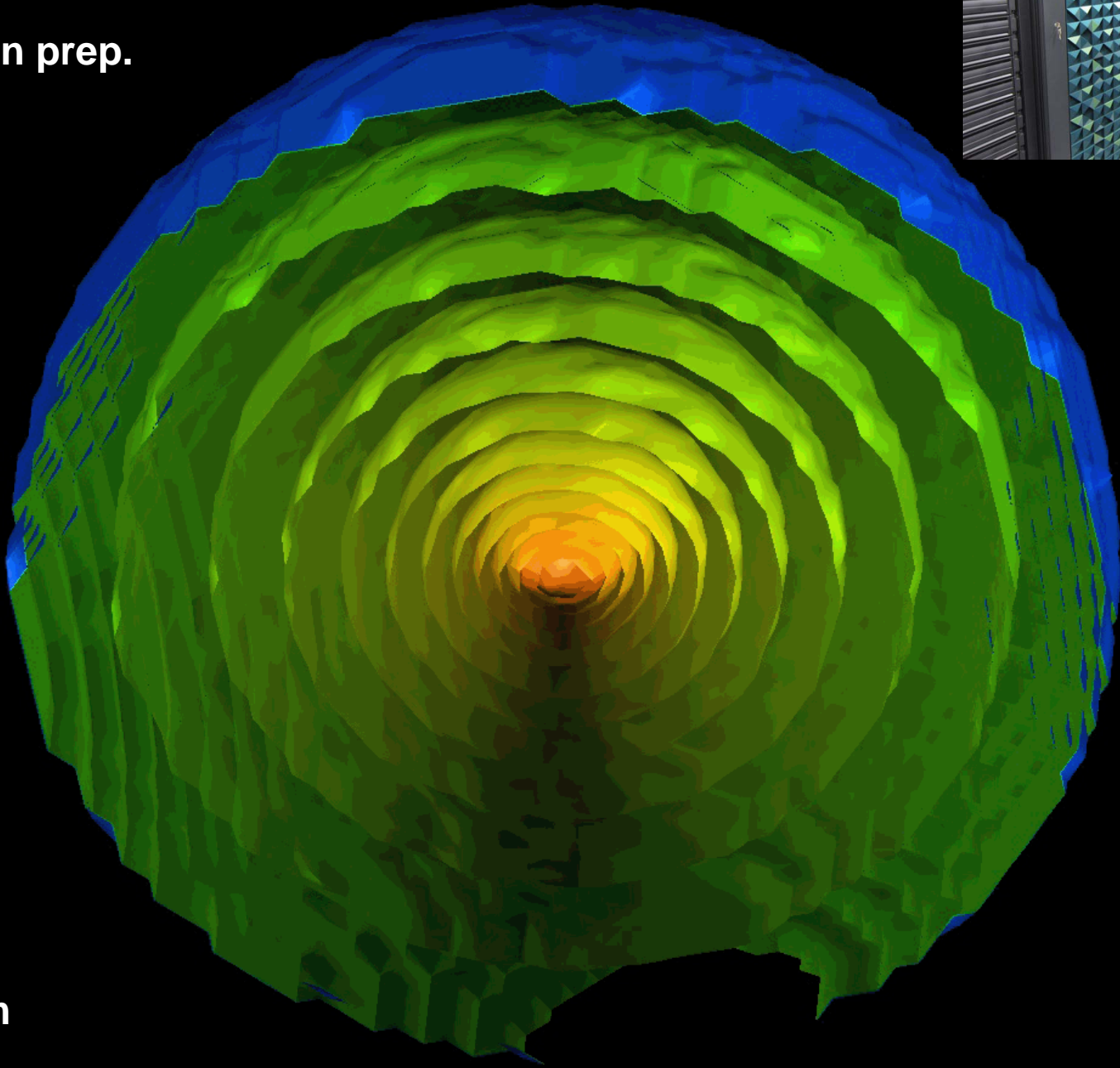
**And S.N. (2008) and Tchekhovskoy et al. (2010) with  $B=5 \times 10^{14}$  G.**

# 3D-GRMHD Simulation of GRBs

S.N. 2012, in prep.



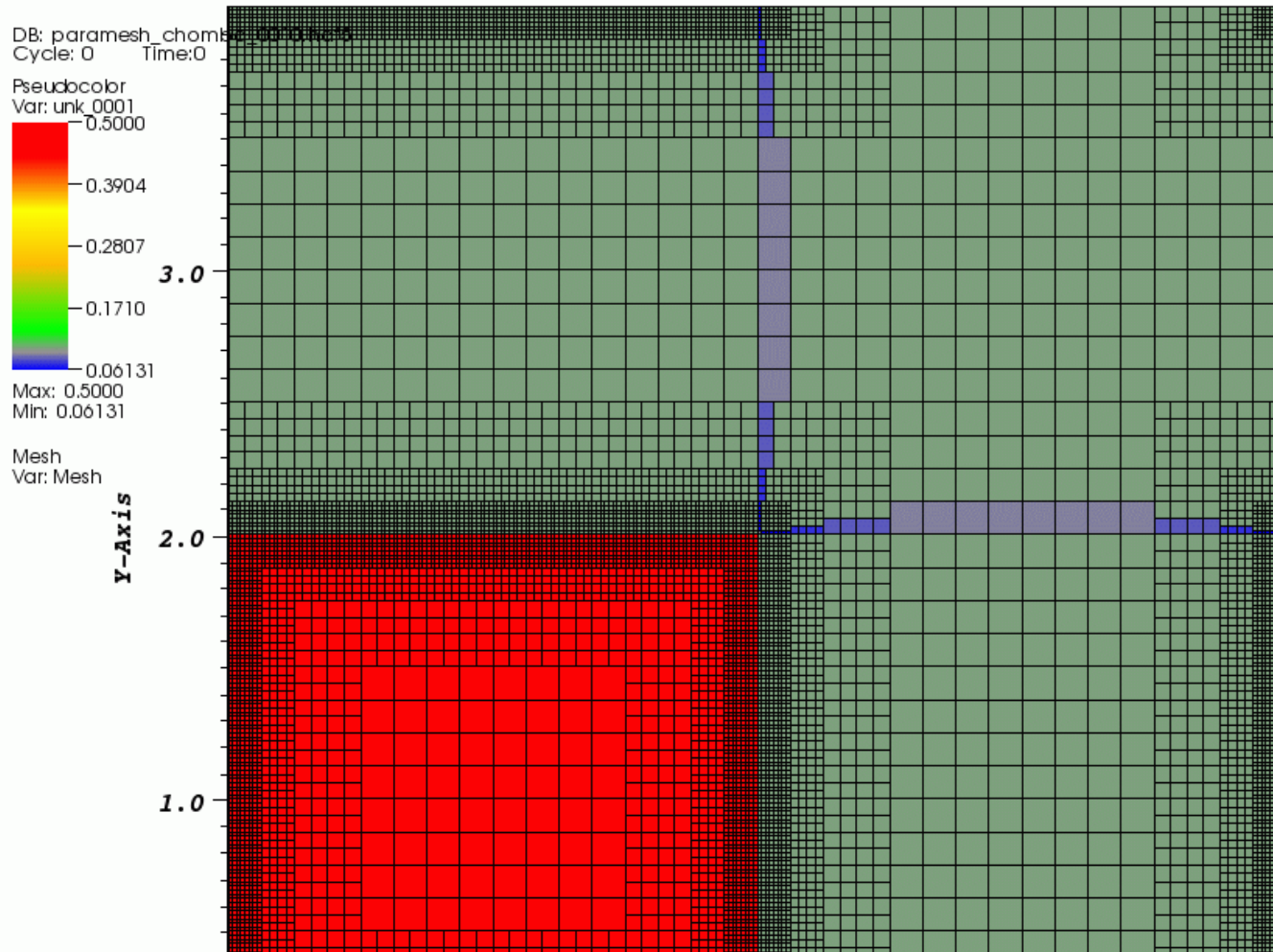
~3000km





# Combining SRHD Code with Adaptive Mesh Refinement (AMR)

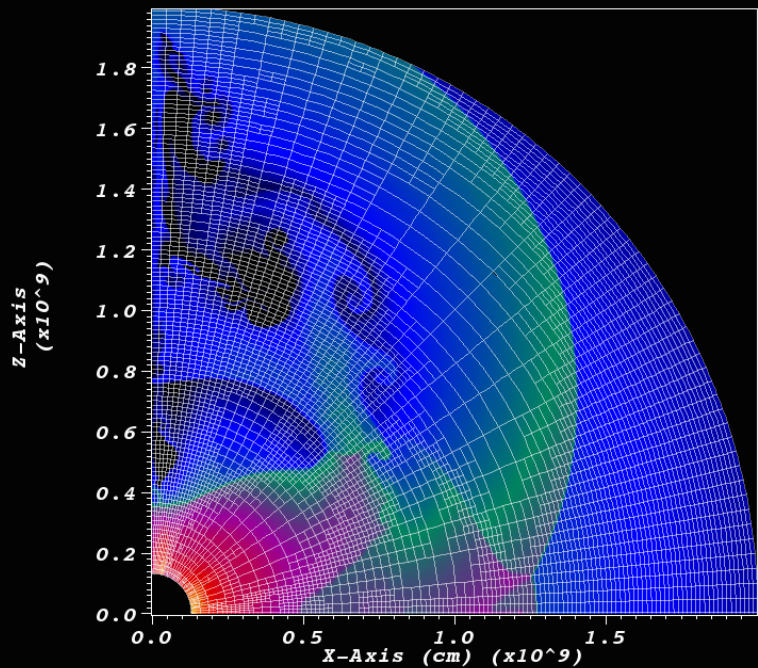
S.N. 2012, in prep.



Paramesh:

[http://www.physics.drexel.edu/~olson/paramesh-doc/Users\\_manual/amr.html](http://www.physics.drexel.edu/~olson/paramesh-doc/Users_manual/amr.html)

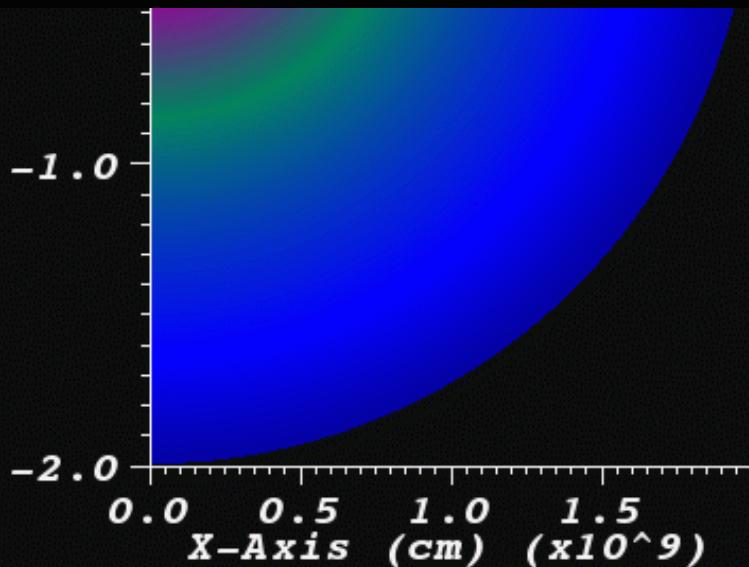
Z-Axis (cm)  
(x10<sup>9</sup>)



**Explosive Nucleosynthesis  
In Jet-Like Sne/GRBs.  
Ono and S.N. 2011, in prep.**

**Flash code with some  
Micro-physics is used  
Currently.**

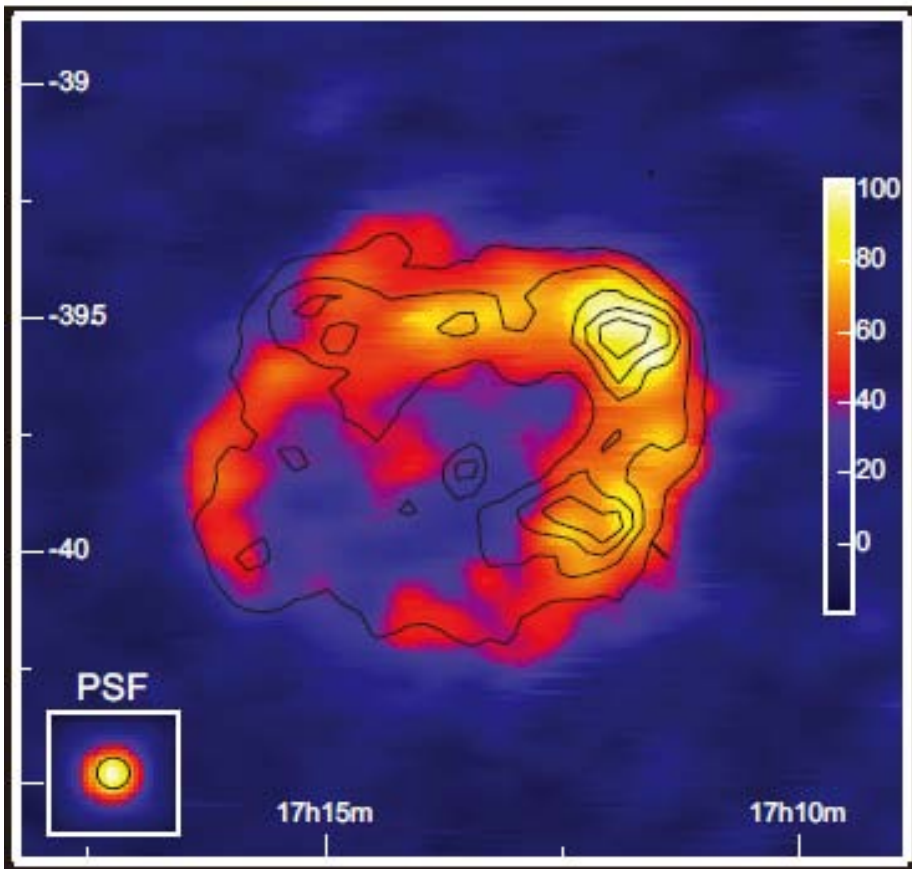
**We are planning to couple  
My GRMHD code with  
Micro-physics in Flash  
Such as Nuclear-Reactions  
To discuss 56Ni production.**



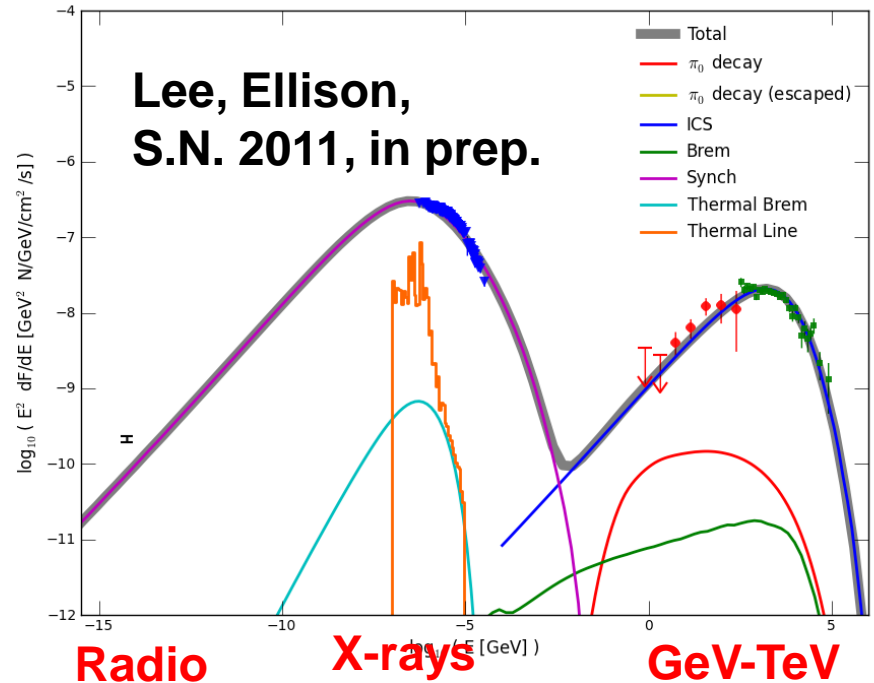
**Dr. Ono at YITP (2011-)**



# Supernova Remnant Phase



RXJ1713 in TeV-Gamma (color, HESS)  
And X-rays (contour, ASCA)  
Age is about 1600yrs.



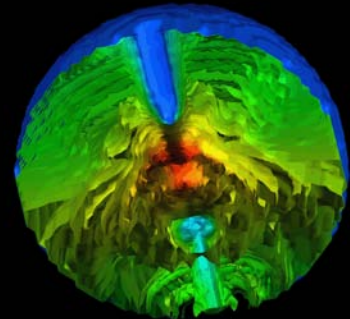
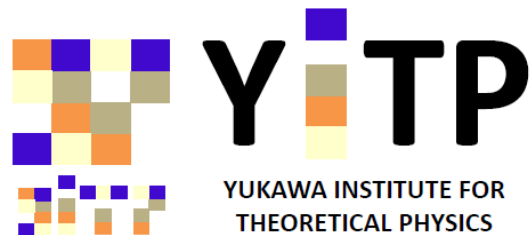
Radio X-rays GeV-TeV  
Gamma-rays



Shiu-Hang (Herman)  
Lee at YITP (2011-)

# Supernovae and Gamma-Ray Bursts in Kyoto, 2013

- Oct.-Nov. in 2013 (preliminary).
- 1 month workshop at YITP.



# § Summary

# Summary

- General Relativistic Magneto-Hydrodynamic (GRMHD) Code has been developed from scratch.
- Fast-rotating Black Hole is better to produce an energetic GRB jet (Faster is Better) due to Blandford-Znajek process.
- GRB simulations by 3D GRMHD code are being done.
- Adaptive Mesh Refinement has been attached to SRHD code.
- Explosive Nucleosynthesis ( $^{56}\text{Ni}$  production) is being studied by Flash code using nuclear reaction network.
- Supernova remnants are being studied taking account of particle acceleration and emission mechanisms including line emissions from heavy nuclei in SNRs.
- One month Conference on SNe and GRBs will be held in Kyoto, 2013.